| Wireless Communications and |
| :---: |
| Cellular Network |
| Fundamentals |








## Traffic Engineering

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- Given or $\mathrm{N}=\mathrm{T} / \mathrm{K}$ traffic channels per cell - what is grade of service (GoS) or how many users can $\qquad$ be supported for a specific GoS
- Required grade of service?
- Usually $2 \%$ blocking probability during busy hour
$\qquad$
- Busy hour may be

1. busy hour at busiest cell
2. system busy hour
3. system average over all hours

- Basic analysis called Traffic Engineering or



## Trunking

- same as circuit switched telephony
- use Erlang B and Erlang C Models $\qquad$
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## Traffic Engineering

- Estimate traffic distribution?
- Traffic intensity is measured in Erlangs (mathematician AK Erlang)
- One Erlang = completely occupied channel,
- Example: a radio channel occupied for 30 min . per hour carries 0.5 Erlangs
- Traffic intensity per user $A_{u}$
$\mathrm{A}_{u}=$ average call request rate $\times$ average holding time $=\lambda \times \mathrm{t}_{\mathrm{t}}$
- Total traffic intensity $=$ traffic intensity per user $\times$ number of users $=A_{u} \times n_{u}$
- Example 100 subscribers in a cell 20 make $1 \mathrm{call} /$ hour for $6 \mathrm{~min}=>\quad 20 \times 1 \times 6 / 60=2 \mathrm{E}$ 20 make 3 calls/hour for $1 / 2 \mathrm{~min}=>20 \times 3 \times .5 / 60=.5 \mathrm{E}$ 60 make 1 call/hour for $1 \mathrm{~min}=>60 \times 1 \times 1 / 60=1 \mathrm{E}$

100 users produce 3.5 E load or 35 mE per user

- To estimate the performance of a trunked system use the Erlang B queueing model
- The system has a finite capacity of size $c$, customers arriving when all servers busy are dropped
- Blocked calls cleared model (BCC)
- Assumptions
- $c$ identical servers process customers in parallel.
- Customers arrive according to a Poisson process
- Customer service times exponentially distributed

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| M/M/C/C | (\%) |
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| Probability of a customer being blocked $B(c, a)$ $B(c, a)=\frac{\frac{a^{c}}{c!}}{\sum_{n=0}^{c} \frac{a^{n}}{n!}}$ <br> $B(c, a) \Leftarrow$ Erlang's $B$ formula, Erlang's blocking formula Erlang B formula can be computed from the recursive formula $B(c, a)=\frac{a \cdot B(c-1, a)}{c+a \cdot B(c-1, a)}$ <br> Usually determined from table or charts Example for 100 users with a traffic load of 3.5 E - how many channels are need in a cell to support $2 \%$ call blocking? <br> From Erlang B table with $2 \%$ call blocking need 8 channels |  |




$$
L_{q}=\left(\frac{a}{c-a}\right) \cdot C(c, a)
$$

$$
L=L_{q}+a
$$

$$
W_{q}=\frac{L_{q}}{\lambda}=\frac{\frac{1}{\mu} C(c, a)}{c-a}
$$

$$
w=w_{q}+\frac{1}{\mu}
$$

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## Erlang C model

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The $p$ th percentile of the time spent waiting in the queue $t_{p}$

$$
t_{p}=\frac{-\ln \left(\frac{1-p}{C(c, a)}\right)}{c \mu(1-\rho)}
$$

Note: $p>1-\mathrm{C}(\mathrm{c}, \mathrm{a})$

## Traffic Engineering Example 3

[^0]| Multiple Access and Mode |  |
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|  | - Mode how two parties shares channel during conversation <br> - Simplex - one way communication (e.g., broadcast AM) <br> - Duplex - two way communication <br> - TDD - time division duplex - users take turns on the channel <br> - FDD - frequency division duplex - users get two channels - one for each direction of communication <br> - For example one channel for uplink (mobile to base station) another channel for downlink (base station to mobile) <br> - Multiple Access determines how users in a cell share the frequency spectrum assigned to the cell: <br> - FDMA, TDMA, CDMA <br> - Wireless systems often use a combination of schemes; GSM - FDD/FDMA/TDMA |
| Telcom 27 | $37$ |



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| FDMA |
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| - FDMA is simplest and oldest method <br> - Bandwidth F is divided into T non-overlapping frequency <br> channels <br> - Guard bands minimize interference between channels <br> - Each station is assigned a different frequency <br> Can be inefficient if more than T stations want to transmit <br> or traffic is bursty (resulting in unused bandwidth and <br> delays) <br> - Receiver requires high quality filters for adjacent <br> channel rejection <br> - Used in First Generation Cellular (AMPS, NMT, TACS) |
| Telcom 2700 |



| -Users share same frequency band in non- <br> overlapping time intervals, eg, by round robin <br> - Receiver filters are just windows instead of <br> bandpass filters (as in FDMA) <br> - Guard time can be as small as the <br> synchronization of the network permits <br> - All users must be synchronized with base station to <br> within a fraction of guard time <br> - Guard time of 30-50 microsec common in TDMA <br> - Used in GSM, NA-TDMA, (PDC) Pacific Digital <br> Cellular |
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| Telcom 2700 |


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## CDMA

## - Code Division Multiple Access

Narrowband message signal is multiplied by very large bandwidth spreading signal using direct sequence spread spectrum

- All users can use same carrier frequency and may transmit simultaneously
Each user has own unique access spreading codeword which is approximately orthogonal to other users codewords
- Receiver performs time correlation operation to detect only specific codeword, other users codewords appear as noise due to decorrelation
Cocktail party example

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## Simple CDMA continued

- Proceeding in this fashion for each "bit", the information transmitted by Alice can be recovered
- To recover the information transmitted by Bob, the received signal is correlated bit-by-bit with Bob's code
[1,1]
$\qquad$
- Such codes are "orthogonal"
- Multiply the codes element-wise
- $[1,1] \times[1,-1]=[1,-1]$
- Add the elements of the resulting product
- $1+(-1)=0=>$ the codes are orthogonal
- CDMA used in IS-95 standard and both 3G standards: UMTS, cdma2000
- CDMA has big capacity advantage as frequency reuse cluster size = 1
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[^0]:    - A service provider receives unsuccessful call attempts to wireless subscribers at a rate of 5 call per minute in a given geographic service area. The unsuccessful calls are processed by voice mail and have an average mean holding time of 1 minute. When all voice mail servers are busy - customers are placed on hold until a server becomes free.
    - Determine the minimum number of servers to keep the percentage of customers placed on hold $<$ or equal to $1 \%$
    The offered load is a = 5 call per minute $\times 1$ minute/call $=5$
    From the Erlang $C$ tables 13 servers are needed.
    - Determine the .995\% of the delay in access the voice servers
    - With $\mathrm{p}=.995, \mathrm{C}(\mathrm{c}, \mathrm{a})=.01, \mathrm{c}=13$, and $\mu=1$

    $$
    \frac{-\ln \left(\frac{1-p}{C(c, a)}\right)}{c \mu(1-\rho)} \quad \text { yields } t_{p}=.0866 \text { minute }=5.2 \text { secs }
    $$

